

TESTS OF COEFFICIENTS STATA LAB ANSWERS  
 Professor Lemke  
 Fall 2008

. \* PROBLEM ONE;

. sum;

Variable	Obs	Mean	Std. Dev.	Min	Max
wage	704	29857.9	35136.31	1086	293787
lnwage	704	9.773959	1.079598	6.990256	12.59061
age	704	48.89915	13.76339	25	74
age2	704	2580.288	1364.125	625	5476
school	704	13.58807	2.939054	9	21
hispanic	704	.1775568	.3824109	0	1
black	704	.1136364	.3175947	0	1
white	704	.7088068	.4546354	0	1
female	704	.3508523	.4775761	0	1
male	704	.6491477	.4775761	0	1

. \* PROBLEM TWO;

. reg wage age age2 school hispanic black female;

Source	SS	df	MS	Number of obs = 704		
Model	1.5465e+11	6	2.5775e+10	F( 6, 697)	=	25.19
Residual	7.1325e+11	697	1.0233e+09	Prob > F	=	0.0000
Total	8.6790e+11	703	1.2346e+09	R-squared	=	0.1782
				Adj R-squared	=	0.1711
				Root MSE	=	31989

	wage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
	age	5852.196	682.3649	8.58	0.000	4512.459	7191.933
	age2	-64.5738	6.886513	-9.38	0.000	-78.0946	-51.05301
	school	1748.316	411.1296	4.25	0.000	941.1149	2555.517
	hispanic	-4565.543	3211.182	-1.42	0.156	-10870.29	1739.206
	black	-11479.98	3864.626	-2.97	0.003	-19067.69	-3892.281
	female	-7806.004	2535.325	-3.08	0.002	-12783.79	-2828.214
	_cons	-108592.8	17109.92	-6.35	0.000	-142185.9	-74999.6

These results make sense generally: there is an increasing then decreasing return to age, a positive effect from schooling, a negative racial effect but less so for Hispanics, and a substantial gender differential going against women.

. sum errors1;

Variable	Obs	Mean	Std. Dev.	Min	Max
errors1	704	.0000493	31852.43	-44977.78	259153.5

The summary statistics of the residuals are immediately troublesome as the lowest differential is about -\$45,000 while the greatest differential is almost six times that at almost \$260,000. The worry, of course is possible heteroskedasticity. To look at this further, consider the graph of the residuals against age. One can see that the errors are much more erratic at some ages and the positive errors are much more erratic than the negative errors. This is troublesome.



```
. * PROBLEM THREE;
. reg lnwage age age2 school hispanic black female;
```

Source	SS	df	MS	Number of obs = 704		
Model	374.244031	6	62.3740052	F( 6, 697)	=	97.67
Residual	445.125611	697	.638630719	Prob > F	=	0.0000
Total	819.369642	703	1.16553292	R-squared	=	0.4567
				Adj R-squared	=	0.4521
				Root MSE	=	.79914

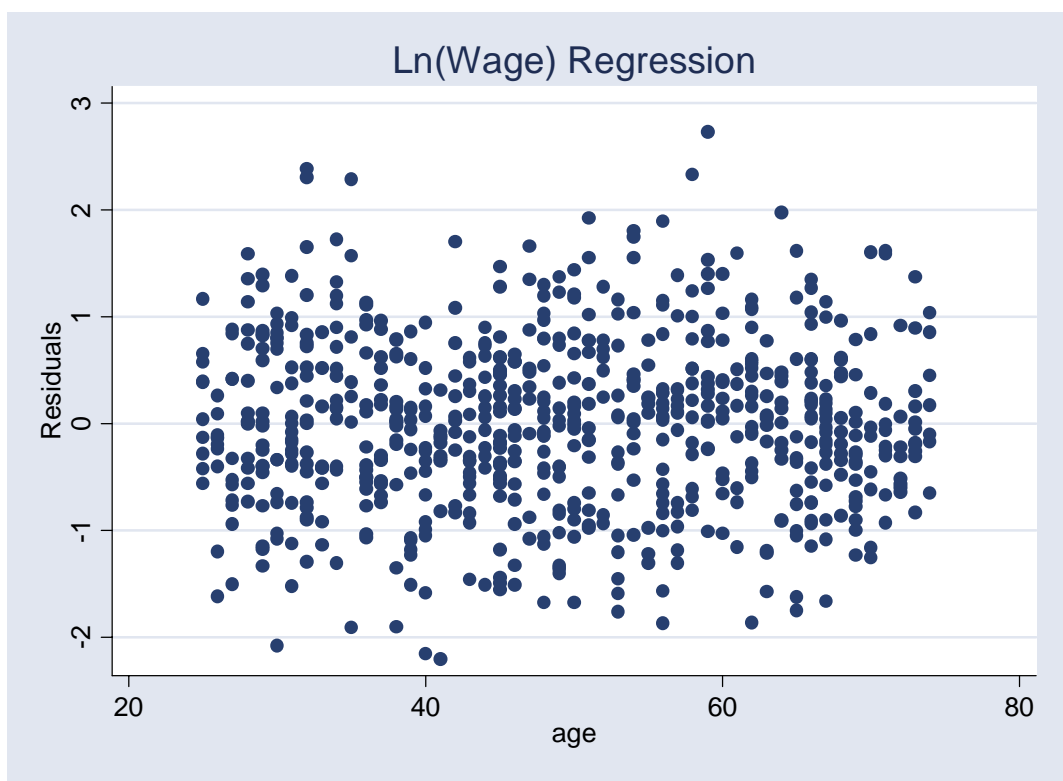
lnwage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
age	.2909222	.0170466	17.07	0.000	.2574533	.324391
age2	-.003262	.000172	-18.96	0.000	-.0035997	-.0029242
school	.0665694	.0102707	6.48	0.000	.0464042	.0867346
hispanic	-.1809396	.0802206	-2.26	0.024	-.3384426	-.0234366
black	-.2682951	.0965447	-2.78	0.006	-.4578484	-.0787418
female	-.1831355	.0633366	-2.89	0.004	-.3074889	-.0587821
_cons	3.187207	.427434	7.46	0.000	2.347995	4.02642

These results make sense generally: there is an increasing then decreasing return to age, a positive effect from schooling, a negative racial effect but less so for Hispanics, and a substantial gender differential going against women.

```
. sum errors2;
```

Variable	Obs	Mean	Std. Dev.	Min	Max
errors2	704	3.17e-10	.7957261	-2.203019	2.728446

The summary statistics of the residuals are much improved as the minimum error is -2.2 while the maximum error is 2.73. One can further see that the errors are distributed roughly with the same variance across all age groups (as well as for positive and negative errors) by looking at the graph.



```
. * PROBLEM FOUR;
. reg lnwage age age2 school hispanic black female;
```

lnwage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
age	.2909222	.0170466	17.07	0.000	.2574533	.324391
age2	-.003262	.000172	-18.96	0.000	-.0035997	-.0029242
school	.0665694	.0102707	6.48	0.000	.0464042	.0867346
hispanic	-.1809396	.0802206	-2.26	0.024	-.3384426	-.0234366
black	-.2682951	.0965447	-2.78	0.006	-.4578484	-.0787418
female	-.1831355	.0633366	-2.89	0.004	-.3074889	-.0587821
_cons	3.187207	.427434	7.46	0.000	2.347995	4.02642

\* QUESTION A;

We fail to reject the claim that there is no difference in wages between blacks and Hispanics as the *F*-statistic (0.58) is associated with a high *p*-value of 44.73%. (We would need the *p*-value to be under 10% to reject the claim.)

\* QUESTION B;

We reject the claim that there is no effect on wages from race as the *F*-statistic (5.52) is associated with a high *p*-value of 0.42%.

Notice how the test command is different from (A). In (A), the command was simply:

```
test black=hispanic
```

to see if there is a difference between these two races. In (B), however, we must also test to whites. As white is the omitted race, this requires a test command of

```
test black=hispanic=0.
```

\* QUESTION C;

We reject the claim that the return to each year of schooling is 9 percent as the *F*-statistic is 5.20 which is associated with a *p*-value of 2.28%.

\* QUESTION D;

We fail to reject the claim that the gender differential is negative ten percent as the *F*-statistic (1.72) is associated with a high *p*-value of 18.98%.

\* QUESTION E;

Because the coefficient on age is positive but the coefficient on age-squared is negative, we know that the predicted relationship is a positive one (at a decreasing rate) up to a point. After that point, wages are decreasing at an increasing rate. Specifically, wages increase up to the point where

$$0.291 - 2 * 0.003262 * \text{age} = 0$$

which happens at an age of roughly 43.06 years-old.

. \* PROBLEM FIVE;

The model is:

$$\lnwage = \beta_0 + \beta_1age + \beta_2age^2 + \beta_3school + \beta_4hispanic + \beta_5black + \beta_6female + \varepsilon.$$

Imposing the restriction that  $\beta_3=0.09$  produces a restricted model of:

$$\lnwage - 0.09school = \beta_0 + \beta_1age + \beta_2age^2 + \beta_4hispanic + \beta_5black + \beta_6female + \varepsilon.$$

So a new variable needs to be created:

```
gen new_y=lnwage-.09*school;
```

Now estimate the unrestricted model.

```
. reg lnwage age age2 school hispanic black female;
```

Source	SS	df	MS	Number of obs = 704		
Model	374.244031	6	62.3740052	F( 6, 697)	=	97.67
Residual	445.125611	697	.638630719	Prob > F	=	0.0000
-----				R-squared	=	0.4567
-----				Adj R-squared	=	0.4521
Total	819.369642	703	1.16553292	Root MSE	=	.79914
-----						
lnwage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
age	.2909222	.0170466	17.07	0.000	.2574533	.324391
age2	-.003262	.000172	-18.96	0.000	-.0035997	-.0029242
school	.0665694	.0102707	6.48	0.000	.0464042	.0867346
hispanic	-.1809396	.0802206	-2.26	0.024	-.3384426	-.0234366
black	-.2682951	.0965447	-2.78	0.006	-.4578484	-.0787418
female	-.1831355	.0633366	-2.89	0.004	-.3074889	-.0587821
_cons	3.187207	.427434	7.46	0.000	2.347995	4.02642

In order to calculate the  $F$ -statistic and  $p$ -value in Stata, generate the following values.

```
. gen ssru=_result(4);
. gen numdf=1;
. gen dendif=_result(5);
```

Now estimate the unrestricted model.

```
. reg new_y age age2 hispanic black female;
```

Source	SS	df	MS	Number of obs = 704		
Model	356.317476	5	71.2634953	F( 5, 698)	=	110.92
Residual	448.449299	698	.642477506	Prob > F	=	0.0000
-----				R-squared	=	0.4428
-----				Adj R-squared	=	0.4388
Total	804.766776	703	1.14476071	Root MSE	=	.80155

new_y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
age	.292338	.0170865	17.11	0.000	.2587908 .3258851
age2	-.0032768	.0001724	-19.00	0.000	-.0036154 -.0029383
hispanic	-.1824586	.0804591	-2.27	0.024	-.3404294 -.0244878
black	-.2606208	.0967762	-2.69	0.007	-.4506282 -.0706134
female	-.1836381	.0635267	-2.89	0.004	-.3083643 -.0589118
_cons	2.837554	.4002094	7.09	0.000	2.051796 3.623313

Finally:

```
. gen ssrr=_result(4);
. gen fstat=((ssrr-ssru)/numdf)/(ssru/dendf);
. gen pval=Ftail(numdf,dendf,fstat);
. list fstat pval if _n==1;
```

fstat	pval
5.204416	.0228304

. \* PROBLEM SIX;

First, estimate the unrestricted model, and collect the necessary information.

```
. reg lnwage age age2 school hispanic black female;
```

Source	SS	df	MS	Number of obs =	704
Model	374.244031	6	62.3740052	F( 6, 697) =	97.67
Residual	445.125611	697	.638630719	Prob > F =	0.0000
Total	819.369642	703	1.16553292	R-squared =	0.4567
				Adj R-squared =	0.4521
				Root MSE =	.79914

lnwage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
age	.2909222	.0170466	17.07	0.000	.2574533 .324391
age2	-.003262	.000172	-18.96	0.000	-.0035997 -.0029242
school	.0665694	.0102707	6.48	0.000	.0464042 .0867346
hispanic	-.1809396	.0802206	-2.26	0.024	-.3384426 -.0234366
black	-.2682951	.0965447	-2.78	0.006	-.4578484 -.0787418
female	-.1831355	.0633366	-2.89	0.004	-.3074889 -.0587821
_cons	3.187207	.427434	7.46	0.000	2.347995 4.02642

```
. replace ssru=_result(4);
. replace numdf=_result(3);
. replace dendf=_result(5);
```

Now estimate the restricted regression, which, for the  $F$ -test includes no regressors.

```
. reg lnwage;
```

Source	SS	df	MS	Number of obs = 704		
Model	0	0	.	F( 0, 703)	=	0.00
Residual	819.369642	703	1.16553292	Prob > F	=	.
				R-squared	=	0.0000
				Adj R-squared	=	0.0000
Total	819.369642	703	1.16553292	Root MSE	=	1.0796

lnwage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
_cons	9.773959	.0406889	240.21	0.000	9.694073	9.853845

```
. replace ssrr=_result(4);
. replace fstat=((ssrr-ssru)/numdf)/(ssru/dendf);
. replace pval=Ftail(numdf,dendf,fstat);
. list fstat pval if _n==1;
```

fstat	pval
97.66834	0

Thus, the value of the  $F$ -stat is 97.67 with a  $p$ -value of 0, which is what the Stata results from the unrestricted regression also report.

```
. * PROBLEM SEVEN;
```

First, estimate the unrestricted model and collect the results.

```
. reg lnwage age age2 school female;
```

Source	SS	df	MS	Number of obs = 704		
Model	367.193223	4	91.7983058	F( 4, 699)	=	141.91
Residual	452.176419	699	.646890442	Prob > F	=	0.0000
				R-squared	=	0.4481
				Adj R-squared	=	0.4450
Total	819.369642	703	1.16553292	Root MSE	=	.80429

lnwage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
age	.2895059	.0171497	16.88	0.000	.2558348	.3231771
age2	-.0032428	.000173	-18.74	0.000	-.0035826	-.0029031
school	.0672973	.0103296	6.52	0.000	.0470166	.087578
female	-.1832476	.0635309	-2.88	0.004	-.3079818	-.0585134
_cons	3.134705	.4298208	7.29	0.000	2.290811	3.9786

```
. replace ssru=_result(4);
. replace numdf=(3-1)*(_result(3)+1);
. replace dendf=_result(1)-3*( _result(3)+1);
```

Now estimate the three restricted regressions, where the restrictions are by race. For each collect the sum of squared residuals. (In fact, the coefficient estimates of the unrestricted models, as always, are completely ignored in the test, so I will not report them here.)

```
. reg lnwage age age2 school female if white==1;
```

Source	SS	df	MS	Number of obs =	499
Model	296.719281	4	74.1798202	F( 4, 494) =	122.02
Residual	300.319325	494	.607933855	Prob > F =	0.0000
				R-squared =	0.4970
				Adj R-squared =	0.4929
Total	597.038605	498	1.1988727	Root MSE =	.7797

```
. gen ssrw=_result(4);
```

```
. reg lnwage age age2 school female if hispanic==1;
```

Source	SS	df	MS	Number of obs =	125
Model	66.8914979	4	16.7228745	F( 4, 120) =	20.95
Residual	95.7830093	120	.798191744	Prob > F =	0.0000
				R-squared =	0.4112
				Adj R-squared =	0.3916
Total	162.674507	124	1.31189119	Root MSE =	.89342

```
. gen ssrh=_result(4);
```

```
. reg lnwage age age2 school female if black==1;
```

Source	SS	df	MS	Number of obs =	80
Model	17.895377	4	4.47384426	F( 4, 75) =	8.58
Residual	39.1230099	75	.521640131	Prob > F =	0.0000
				R-squared =	0.3139
				Adj R-squared =	0.2773
Total	57.0183869	79	.721751733	Root MSE =	.72225

```
. gen ssrb=_result(4);
```

Now it is straightforward to calculate the test statistic and *p*-value:

```
. replace fstat=((ssru-ssrw-ssrh-ssrb)/numdf)/((ssrw+ssrh+ssrb)/dendf);
. replace pval=Ftail(numdf,dendf,fstat);
. list fstat pval if _n==1;
```

fstat	pval
2.683503	.0031481

Notice that we reject the claim that all of the coefficients are identical across races as the *p*-value is extremely low at 0.31%.

. \* PROBLEM EIGHT;

In order to estimate a model that allows for a different slope coefficient on schooling for each race, we need to define three (actually two, but soon it will be shown why you might want to define three) new variables.

```
. gen schoolb=school*black;
. gen schoolh=school*hispanic;
. gen schoolw=school*white;
```

Now estimate the model with school and two of the three new variables. In this case, the coefficient on school is the return to education for whites. The coefficient on school plus the coefficient on schoolb is the return to education for blacks while the coefficient on schoolh is simply the difference between the return to education between blacks and whites. (One interprets the coefficient on schoolh similarly.)

```
. reg lnwage age age2 school schoolb schoolh hispanic black female;
```

Source	SS	df	MS	Number of obs = 704		
Model	374.256578	8	46.7820722	F( 8, 695)	=	73.05
Residual	445.113064	695	.640450452	Prob > F	=	0.0000
-----				R-squared	=	0.4568
-----				Adj R-squared	=	0.4505
Total	819.369642	703	1.16553292	Root MSE	=	.80028
-----						
lnwage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
age	.2908242	.0170982	17.01	0.000	.2572539	.3243945
age2	-.003261	.0001726	-18.89	0.000	-.0035998	-.0029221
school	.067356	.0118637	5.68	0.000	.0440631	.0906489
schoolb	-.0042654	.0348725	-0.12	0.903	-.0727335	.0642027
schoolh	-.0024487	.0290629	-0.08	0.933	-.0595103	.0546128
hispanic	-.1474884	.405027	-0.36	0.716	-.9427117	.6477349
black	-.2113987	.474454	-0.45	0.656	-1.142934	.7201364
female	-.1829657	.0634396	-2.88	0.004	-.3075219	-.0584095
_cons	3.178707	.4339842	7.32	0.000	2.32663	4.030784

Now, to test the claim that there is no difference in the return to schooling for all three races, the test command is:

```
. test schoolh=schoolb=0;
```

The results fail to reject the claim as the  $F$ -statistic has a  $p$ -value of 99.03%.

Next, to test the claim that there is no difference in the return to schooling between blacks and Hispanics, the test command is:

```
. test schoolh=schoolb;
```

Again, the results fail to reject the claim as the  $F$ -stat has a  $p$ -value of 96.57%.

Alternatively, we could include schoolw in the model and omit school. Under this specification (which is the same in terms of the data), the coefficients on the schooling variables are the returns to schooling for each race. Thus, to test differences across the races, you must include all of the variables.

That is, first, one estimates the model:

```
. reg lnwage age age2 schoolw schoolb schoolh hispanic black female;
```

Then, the test command is:

```
. test schoolw=schoolh=schoolb;
```

And this will provide the exact same  $F$ -statistic and  $p$ -value as before. Testing part (B) would require the command:

```
. test schoolh=schoolb;
```

And this too provides the exact same  $F$ -statistic and  $p$ -value as before.

```
. * PROBLEM NINE;
```

First, in order to estimate the fully interacted model, we need to create more interaction terms. We already have the school interaction variables, so:

```
. gen agew=age*white;
. gen ageb=age*black;
. gen ageh=age*hispanic;
. gen age2w=age2*white;
. gen age2b=age2*black;
. gen age2h=age2*hispanic;
. gen femalew=female*white;
. gen femaleb=female*black;
. gen femaleh=female*hispanic;
```

Now, estimate the fully interacted model. In this case, we are including all of the variables from before and all of the black and Hispanic interaction terms.

```
. reg lnwage age ageb ageh age2 age2b age2h school schoolb schoolh female femaleb
      femaleh hispanic black ;
```

Source	SS	df	MS	Number of obs =	704
Model	384.144298	14	27.4388785	F( 14, 689) =	43.44
Residual	435.225344	689	.631676841	Prob > F =	0.0000
				R-squared =	0.4688
				Adj R-squared =	0.4580
Total	819.369642	703	1.16553292	Root MSE =	.79478

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnwage						
age	.3116017	.0201491	15.46	0.000	.2720407	.3511627
ageb	-.1228372	.0558818	-2.20	0.028	-.2325563	-.0131181
ageh	-.0149718	.0457634	-0.33	0.744	-.1048243	.0748807
age2	-.0034561	.0002023	-17.08	0.000	-.0038533	-.0030589
age2b	.0012847	.0005662	2.27	0.024	.0001731	.0023963
age2h	.0000829	.000467	0.18	0.859	-.0008339	.0009998
school	.0673256	.0117837	5.71	0.000	.0441894	.0904618
schoolb	-.0215787	.035305	-0.61	0.541	-.0908971	.0477397
schoolh	-.0058852	.0289235	-0.20	0.839	-.0626741	.0509037
female	-.3053795	.0745975	-4.09	0.000	-.4518452	-.1589139
femaleb	.4100695	.2026353	2.02	0.043	.0122128	.8079261
femaleh	.3601824	.1759047	2.05	0.041	.0148089	.705556
hispanic	.2992804	1.131305	0.26	0.791	-1.921938	2.520499
black	2.568591	1.476077	1.74	0.082	-.329558	5.46674
_cons	2.710002	.5014309	5.40	0.000	1.725487	3.694518

Now, because of this model specification, to test if the return for blacks is different from the return to whites, the test is simply:

```
. test schoolb;
```

And we fail to reject the claim that the return is the same for whites and blacks as the  $F$ -statistic is associated with a  $p$ -value of 54.13%.

To test if the return for Hispanics is different from the return to whites:

```
. test schoolh;
```

And we fail to reject the claim that the return is the same for Hispanics and whites as the  $F$ -statistic is associated with a  $p$ -value of 83.88%.

To test if the return for Hispanics is different from the return to blacks:

```
. test schoolb=schoolh;
```

And we fail to reject the claim that the return is the same for blacks and Hispanics as the  $F$ -statistic is associated with a  $p$ -value of 71.20%.

Finally, to test if the return is the same for all three races:

```
. test schoolb=schoolh=0;
```

And we fail to reject the claim that the return is the same for all three races as the  $F$ -statistic is associated with a  $p$ -value of 82.36%.

Alternatively, one could include all of the interaction terms so that each coefficient is the expected return for each race. That is:

```
. reg lnwage agew ageb ageh age2w age2b age2h schoolw schoolb schoolh femalew femaleb
    femaleh hispanic black ;
```

Source	SS	df	MS	Number of obs = 704		
Model	384.144298	14	27.4388785	F( 14, 689)	=	43.44
Residual	435.225344	689	.631676841	Prob > F	=	0.0000
				R-squared	=	0.4688
				Adj R-squared	=	0.4580
Total	819.369642	703	1.16553292	Root MSE	=	.79478

lnwage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
agew	.3116017	.0201491	15.46	0.000	.2720407	.3511627
ageb	.1887645	.0521229	3.62	0.000	.0864258	.2911032
ageh	.2966299	.041089	7.22	0.000	.2159552	.3773046
age2w	-.0034561	.0002023	-17.08	0.000	-.0038533	-.0030589
age2b	-.0021714	.0005288	-4.11	0.000	-.0032096	-.0011332
age2h	-.0033732	.0004209	-8.01	0.000	-.0041996	-.0025468
schoolw	.0673256	.0117837	5.71	0.000	.0441894	.0904618
schoolb	.0457469	.0332805	1.37	0.170	-.0195964	.1110903
schoolh	.0614404	.0264143	2.33	0.020	.0095782	.1133026
femalew	-.3053795	.0745975	-4.09	0.000	-.4518452	-.1589139
femaleb	.1046899	.1884045	0.56	0.579	-.2652259	.4746058
femaleh	.0548029	.1593037	0.34	0.731	-.2579761	.3675819
hispanic	.2992804	1.131305	0.26	0.791	-1.921938	2.520499
black	2.568591	1.476077	1.74	0.082	-.329558	5.46674
_cons	2.710002	.5014309	5.40	0.000	1.725487	3.694518

At this point, every test from above can be carried out, and one will obtain the exact same *F*-statistics and *p*-values by entering:

```
. test schoolw=schoolb;
. test schoolw=schoolh;
. test schoolb=schoolh;
. test schoolw=schoolb=schoolh;
```

```

#delimit;
set more 1;
log using project4.log, replace;

use project4.dta;

* PROBLEM ONE;
gen hispanic=(race==1);
gen black=(race==2);
gen white=(race==3);
gen female=(sex=="F");
gen male=(sex=="M");
gen age2=age*age;
gen lnwage=ln(wage);
keep wage lnwage age age2 school hispanic black white female male;
order wage lnwage age age2 school hispanic black white female male;
sum;

* PROBLEM TWO;
reg wage age age2 school hispanic black female;
predict errors1, resid;
sum errors1;
scatter errors1 age, ti("Wage Regression") saving(e1_age, replace);

* PROBLEM THREE;
reg lnwage age age2 school hispanic black female;
predict errors2, resid;
sum errors2;
scatter errors2 age, ti("Ln(Wage) Regression") saving(e2_age, replace);

* PROBLEM FOUR;
reg lnwage age age2 school hispanic black female;

    * QUESTION A;
    test hispanic=black;

    * QUESTION B;
    test hispanic=black=0;

    * QUESTION C;
    test school=.09;

    * QUESTION D;
    test female=-0.10;

    * QUESTION E;
    * nothing for stata to do;

```

```

* PROBLEM FIVE;
gen new_y=lnwage-.09*school;
reg lnwage age age2 school hispanic black female;
gen ssru=_result(4);
gen numdf=1;
gen dendf=_result(5);
reg new_y age age2 school hispanic black female;
gen ssrr=_result(4);
gen fstat=((ssrr-ssru)/numdf)/(ssru/dendf);
gen pval=Ftail(numdf,dendf,fstat);
list fstat pval if _n==1;

* PROBLEM SIX;
reg lnwage age age2 school hispanic black female;
replace ssru=_result(4);
replace numdf=_result(3);
replace dendf=_result(5);
reg lnwage;
replace ssrr=_result(4);
replace fstat=((ssrr-ssru)/numdf)/(ssru/dendf);
replace pval=Ftail(numdf,dendf,fstat);
list fstat pval if _n==1;

* PROBLEM SEVEN;
reg lnwage age age2 school female;
replace ssru=_result(4);
replace numdf=(3-1)*(_result(3)+1);
replace dendf=_result(1)-3*(_result(3)+1);
reg lnwage age age2 school female if white==1;
gen ssrw=_result(4);
reg lnwage age age2 school female if hispanic==1;
gen ssrh=_result(4);
reg lnwage age age2 school female if black==1;
gen ssrb=_result(4);
replace fstat=(
(ssru-ssrw-ssrh-ssrb)/numdf)/((ssrw+ssrh+ssrb)/dendf);
replace pval=Ftail(numdf,dendf,fstat);
list fstat pval if _n==1;

* PROBLEM EIGHT;
gen schoolb=school*black;
gen schoolh=school*hispanic;
gen schoolw=school*white;
reg lnwage age age2 school schoolb schoolh hispanic black female;
test schoolh=schoolb=0;
test schoolh=schoolb;
    * Alternatively;
    reg lnwage age age2 schoolw schoolb schoolh hispanic black female;
    test schoolw=schoolh=schoolb;
    test schoolh=schoolb;

```

```

* PROBLEM NINE;
gen agew=age*white;
gen ageb=age*black;
gen ageh=age*hispanic;
gen age2w=age2*white;
gen age2b=age2*black;
gen age2h=age2*hispanic;
gen femalew=female*white;
gen femaleb=female*black;
gen femaleh=female*hispanic;
reg lnwage age ageb ageh age2 age2b age2h school schoolb schoolh
      female femaleb femaleh hispanic black ;
test schoolb;
test schoolh;
test schoolb=schoolh;
test schoolb=schoolh=0;
  * Alternatively;
    reg lnwage agew ageb ageh age2w age2b age2h schoolw schoolb schoolh
      femalew femaleb femaleh hispanic black ;
    test schoolw=schoolb;
    test schoolw=schoolh;
    test schoolb=schoolh;
    test schoolw=schoolb=schoolh;

save coeftests2, replace;
clear;

log close;

```